Efficiently Detecting Disguised Web Spambots (with Mismatches)

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## Short resume of the presenter:

- Hayam Alamro is a Ph.D. student in Computer Science (Algorithms \& Data analysis Research Group) in the Department of Informatics at King's College London.
- Hayam's research focuses on the analysis and advanced design of string algorithms, approximate pattern matching, Cybersecurity, and data privacy.
- Hayam received her M.Sc. and her B.Sc. (with second class Honour) in Computer Science and Information Systems from King Saud University, Riyadh, Kingdom of Saudi Arabia.
- Before starting her Ph.D. in the UK, Hayam was working as a Lecturer in Computer Science and Information Systems College in Princess Nora University, Riyadh, Kingdom of Saudi Arabia. Hayam also has an experience working as a Computer Assistance in the Ministry of Planning, Interest of Public Statistics, Riyadh, Kingdom of Saudi Arabia.


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## Introduction

- A spambot is a computer program designed to do repetitive actions on websites, servers or social media communities.

https://images.app.goo.gl/a5Yreu3X7MSCHmvU7


## Activities

- Carrying out certain attacks on websites/ servers.
- Involving irrelevant links to increase a website ranking in search engine results.
- Using web crawlers for planting unsolicited material.
- Collecting email addresses from different sources (phishing emails).


## Introduction

## Existing spam detection techniques

- Content-based : Inject repetitive keywords in meta tags to promote a website in search engines.
- Link-based : Add links to a web page to increase its ranking score in search engines.
- Supervised machine learning: to identify the source of spambot, rather than detecting the spambot.

Nowdays: The spammers try to manipulate spambots' actions behaviour to appear as it were coming from a legitimate user to bypass the existing spam-filter tools

## Introduction

## More relevant to our work

- String pattern matching-based techniques (Hayati et al. and Ghanaei et al. ), But:
- They are inapplicable because they do not take into account temporal information of neither the sequence (i.e., the user log) nor the pattern (i.e., the spambot actions).
> P. Hayati, V. Potdar, A. Talevski, and W. Smyth, "Rule-based on-the-fly web spambot detection using action strings," in CEAS, 2010.
$>$ V. Ghanaei, C. S. Iliopoulos, and S. P. Pissis, "Detection of web spambot in the presence of decoy actions," in IEEE International Conference on Big Data and Cloud Computing, 2014, pp. 277-279.


## Our Contributions

1. We introduce an efficient algorithm that can detect one or more sequences of indeterminate (non solid) actions in text T in linear time.
$\rightarrow$ Our algorithm can compute all occurrences of indeterminate sequence $\tilde{S}$ in text $T$ in $O(m+\log n+o c c)$, where:
$m$ is the $\widetilde{|S|}, n$ is the $|T|$, and occ is the number of the occurrences of the sequence $\tilde{S}$ in $T$.

## Our Contributions

2. We propose an efficient algorithm for solving ( $\boldsymbol{f}, \boldsymbol{c}, \boldsymbol{k}, \boldsymbol{W}$ )-Disguised Spambots Detection with indeterminate actions and mismatches. It is a generalization of the previous problem (1).
$\rightarrow$ Our algorithm takes into account temporal information, because it considers:

- Time-annotated sequences, and
- Requires a match to occur within a time window $t$.


## Background

- Let $T=a_{0} \ldots a_{n-1}$ be a string of length $|T|=n$ over an alphabet $\Sigma$ of size $|\Sigma|=\sigma$
- For $1 \leq i \leq j \leq n, T[i]$ denotes the ith symbol of $T$, and $T[i, j]$ the contiguous sequence of symbols (called factor or substring)
- A substring $T[i, j]$ is a suffix of $T$ if $j=n$ and it is a prefix of $T$ if $i=1$
- A string $p$ is a repeat of $T$ iff $p$ has at least two occurrences in $T$
- A degenerate or indeterminate string, is defined as a sequence $\tilde{X}=\widetilde{x_{0}} \widetilde{x_{1}} . \widetilde{x_{n-1}}$, where $\widetilde{x_{i}} \subseteq \Sigma$ for all $0 \leq i \leq n-1$
- A degenerate symbol $\tilde{x}$ over an alphabet $\Sigma$ is a non-empty subset of $\Sigma$


## Background

- $|\tilde{x}|$ denotes the size of $\tilde{x}$, and we have $1 \leq \tilde{x} \leq|\Sigma|$.
- If $\left|\widetilde{x}_{i}\right|=1$, that is $\left|\widetilde{x_{i}}\right|$ repeats a single symbol of $\Sigma$, we say that $\widetilde{x_{i}}$ is a solid symbol and $i$ is a solid position. Otherwise, $\widetilde{x_{i}}$ and $i$ are said to be a non-solid symbol and non-solid position respectively.
- A conservative degenerate string is a degenerate string where its number of non-solid symbols is upper-bounded by a fixed position constant $c$.


## Example

$$
X=a b[a c] a[b c d] b a c
$$

Is a degenerate string of length 8 over the alphabet $\Sigma=\{a, b, c, d\}$, and conservative degenerate string

$$
\text { with } c=2 \text {. }
$$

## Background

- A suffix array of $T$ is the lexicographical sorted array of the suffixes of a string $T$ i.e., the suffix array of $T$ is an array SA[1...n] in which SA[i] is the ith suffix of $T$ in ascending order.
- $\operatorname{LCP}(\boldsymbol{T 1}, \mathbf{T 2})$ is the length of the longest common prefix between strings $T_{1}$ and $T_{2}$, and it is usually used with SA such that $L C P[i]=\operatorname{Icp}\left(T_{\mathrm{SA}[\mathrm{i}}, T_{\mathrm{SA}[i-1]}\right)$ for all $i \in[1 . . n]$.


## Disguised (Indeterminate) Actions

- Some spambots might attempt to disguise their actions by varying certain actions.


## Example

a spambot takes the actions ABCDEF, then ACCDEF, then ABDDEF

$$
\text { can be described as } \rightarrow \mathrm{A}[\mathrm{BC}][\mathrm{CD}] \mathrm{DEF}
$$

The action $[B C]$ and $[C D]$ are variations of the same sequence
$>A, C, D, E, F \rightarrow$ (solid symbols)
$>[B C][C D] \rightarrow$ (indeterminate or non-solid symbols)
$\rightarrow \mathrm{A}[\mathrm{BC}][\mathrm{CD}] \mathrm{DEF} \rightarrow$ (degenerate string)

## Problems Definitions

A. Given a sequence $T=a_{1} \ldots a_{n}$, and an action sequence $\tilde{S}=s_{1} s_{2} \ldots s_{m}$, find all occurrences of $\tilde{S}$ in $T$ where $s_{i}$ might be solid or indeterminate.
B. Given a temporal annotated sequence $T=\left(a_{1}, t_{1}\right) \ldots\left(a_{n}, t_{n}\right)$, and an action sequence $\tilde{S}=s_{1} s_{2} \ldots s_{m}$, find all occurrences of $\tilde{S}$ in $T$ in time window $t$, where $s_{i}$ might be solid or indeterminate with hamming distance between $\tilde{S}$ and $T$ is no more than $k$ mismatches.

## Our Main Problem

Since Problem B is a generalization of Problem A, we will focus on Problem B in this presentation.
$(f, c, k, W)$-Disguised Spambots Detection with indeterminate actions and mismatches:
Given a temporal annotated sequence $T=\left(a_{1}, t_{1}\right) \ldots\left(a_{n}, t_{n}\right)$, a dictionary $\bar{S}$ containing sequences $\widehat{\mathrm{S}_{\mathrm{i}}}$, each has a $\boldsymbol{c}$ non-solid symbol (represented by \#), associated with a time window $\boldsymbol{W}_{\boldsymbol{i}}$, a minimum frequency threshold $\boldsymbol{f}$, and a maximum Hamming distance threshold $\boldsymbol{K}$, find all occurrences of each $\widehat{\boldsymbol{S}_{\boldsymbol{i}}} \in \overline{\boldsymbol{S}}$ in $\boldsymbol{T}$, such that each $\widehat{\boldsymbol{S}_{\boldsymbol{i}}}$ occurs:
I. At least $\boldsymbol{f}$ times within its associated time window $\boldsymbol{W}_{\boldsymbol{i}}$, and
II. With at most $\boldsymbol{K}$ mismatches according to Hamming distance.

## Disguised Actions with $K$ Mismatches

## Preprocessing Stage

Our algorithms require as input sequences temporally annotated actions. These temporally annotated sequences are produced from user logs consisting of a collection of http requests.

> 125.127.33.125 - smith [14/Oct/2019: 10:12:26-0500] "GET/blog/page-address.htm HTTP/1.1" 2001043
> "-" "Mozilla/5.0 Chrome/80.0.3134.311"

Date - Time Stamp

Time Point t

Action Request


## Disguised Actions with $K$ Mismatches

## Definition

A Temporally Annotated Action Sequence: is a sequence
$T=\left(a_{0}, t_{0}\right),\left(a_{1}, t_{1}\right), \ldots\left(a_{n}, t_{n}\right)$, where $a_{i} \in A$, with $A$ set of actions, and $\boldsymbol{t}_{i}$ represents the time that action $a_{i}$ took place. Note that $\boldsymbol{t}_{\boldsymbol{i}}<\boldsymbol{t}_{\boldsymbol{i}+\boldsymbol{1}}, \forall \mathrm{i} \in[0, \mathrm{n}]$.


# Disguised Actions with $K$ Mismatches 

## Our Spambot Dictionary Representation

| $\boldsymbol{i}$ | $\boldsymbol{S}_{\boldsymbol{i}}$ | $\boldsymbol{W}_{\boldsymbol{i}}(\mathbf{s e c})$ |
| :---: | :---: | :---: |
| 1 | cbbx | 20 |
| 2 | byadc | 25 |
| $\ldots$ | $\ldots$ | $\ldots$ |

## Disguised Actions with $K$ Mismatches

## Algorithm Steps:

Step 1: For each non-solid $\boldsymbol{s}_{\boldsymbol{j}}$ occurring in degenerate sequence $\tilde{S}=s_{1} s_{2} \ldots s_{m}$, we substitute each $s_{j}$ with ' $\#$ ' symbol, where ' $\#$ ' is not in $\Sigma$. Let $\widehat{\boldsymbol{S}}$ be the resulting pattern after substitution.

| $\widetilde{S}$ | A | B | $[G X]$ | C | [AD] | F |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\widehat{S}$ | A | B | $\#_{1}$ | C | $\#_{2}$ | F |

## Disguised Actions with $K$ Mismatches

Step 2: Extract the actions of the temporally annotated sequence $T$ into $T_{a}$ such that it contains only the actions $\boldsymbol{a}_{\mathbf{1}} \ldots \boldsymbol{a}_{\boldsymbol{n}}$ from $T$.

## Step 3: Build Generalized Enhanced Suffix Array (GESA):

it is an enhanced suffix array for a set of strings, each one ending with a special character and usually is built to find the Longest Common Sequence (LCS) of two strings or more. GESA is indexed as a pair of identifiers $\left(i_{1}, i_{2}\right)$.

```
String number
```

Lexicographical order of the suffix

## Disguised Actions with $K$ Mismatches

Generalized Enhanced Suffix Array for a collection of texts ( $\boldsymbol{T}_{\boldsymbol{a}}$ and $\overline{\boldsymbol{S}}_{\widehat{S}_{\mathrm{i}}}$ ):

$$
\operatorname{GESA}\left(T_{a}, \bar{S}_{\widehat{S}_{i}}\right)=\operatorname{Ta}!_{0} \hat{S}_{1}!_{1} \hat{S}_{2}!_{2} \ldots \hat{S}_{r}!_{r}
$$

- $\hat{S}_{1}, . ., \hat{S}_{r}$ are spambots sequences belong to dictionary $\bar{S}$
- $!_{0}, \ldots,!_{r}$ are special delimiters not in $\Sigma$, and smaller than any alphabetical letter in $\boldsymbol{T}_{\boldsymbol{a}}$ and smaller than ' $\#^{\prime}$


## Disguised Actions with $K$ Mismatches

- Our algorithm will refer to a collection of tables (GESA, GESA $\left.{ }^{R}, L C S, T, \bar{S}_{\widetilde{S}_{i}}\right) \rightarrow$ to find disguised spambots within a time window $t$ as follows:
- Given a temporally annotated action sequence $\boldsymbol{T}=\left(\boldsymbol{a}_{\mathbf{0}}, \boldsymbol{t}_{\mathbf{0}}\right)\left(\boldsymbol{a}_{\mathbf{1}}, \boldsymbol{t}_{\mathbf{1}}\right) \ldots\left(\boldsymbol{a}_{\boldsymbol{n}-\mathbf{1}}, \boldsymbol{t}_{\boldsymbol{n}-\mathbf{1}}\right)$, an action sequence $\widehat{\boldsymbol{S}}=\boldsymbol{s}_{\mathbf{1}} \boldsymbol{s}_{\mathbf{2}} \ldots \boldsymbol{s}_{\boldsymbol{m}}$, and an integer $t$, we will compute $\boldsymbol{j}_{\mathbf{1}}, \boldsymbol{j}_{\mathbf{2}}, \ldots, \boldsymbol{j}_{\boldsymbol{m}}$ such that $\boldsymbol{a}_{\boldsymbol{j}_{i}}=\boldsymbol{s}_{\boldsymbol{i}}, \mathbf{1} \leq \boldsymbol{i} \leq \boldsymbol{m}$ and $\sum_{i=1}^{m} \boldsymbol{t}_{\boldsymbol{j}_{i}}<\boldsymbol{t}$ or $\boldsymbol{t}_{\boldsymbol{j}_{\boldsymbol{m}}}-\boldsymbol{t}_{\boldsymbol{j}_{\mathbf{1}}}<\boldsymbol{t}$ with Hamming distance between $\boldsymbol{T}_{\boldsymbol{a}}$ and $\widehat{\boldsymbol{S}}$ no more than $\boldsymbol{k}$ mismatches.


## Disguised Actions with $K$ Mismatches

- Our algorithm, also includes:
> Initialization for hashMatchTable to do bit masking operation
$>$ Kangaroo method to find the Longest Common Sequence LCS between a sequence of actions in $\boldsymbol{T}$ and an action sequence $\widehat{\boldsymbol{S}}_{\boldsymbol{i}}$ with at most $\boldsymbol{K}$ mismatches in linear time.


## Disguised Actions with $K$ Mismatches

- Step 4: For each $\widehat{\boldsymbol{S}}_{\boldsymbol{i}}$ in the spambots dictionary $\overline{\boldsymbol{S}}_{\widehat{S}_{i}}$, the algorithm calculates the Longest Common Sequence LCS between $\widehat{\boldsymbol{S}}_{\boldsymbol{i}}$ and $\boldsymbol{T}_{\boldsymbol{a}}$ starting at position 0 in sequence $\hat{S}_{i}$ and at position $j$ in sequence $T_{a}$, such that the common substring starting at these positions is maximal as follows:
$\Rightarrow$ Find the the suffix index $\boldsymbol{i}$ of $\widehat{\boldsymbol{S}}_{\boldsymbol{i}}$ in $G E S A$ using $\boldsymbol{G E S} \boldsymbol{A}^{\boldsymbol{R}}$ table (retains all the lexicographical ranks of the suffixes of $G E S A$ ).
$>$ Find the closest suffix $\boldsymbol{j}$ (belongs to a sequence in $\boldsymbol{T}_{\boldsymbol{a}}$ ) to the suffix $\boldsymbol{i}\left(\right.$ of $\left.\widehat{\boldsymbol{S}}_{\boldsymbol{i}}\right)$ in $G E S A$.


## Disguised Actions with $K$ Mismatches

$>$ Compute the Longest Common Sequence LCS between $\operatorname{GESA}(i)$ and $\operatorname{GESA}(j)$ as follows:

$$
\operatorname{LCS}\left(\widehat{\boldsymbol{S}}_{\boldsymbol{i}}, \boldsymbol{T}_{\boldsymbol{a}}\right)=\boldsymbol{\operatorname { m a x }}\left(\boldsymbol{\operatorname { L C P }}\left(G E S A\left(i_{1}, i_{2}\right), G E S A\left(j_{1}, j_{2}\right)\right)\right)=\boldsymbol{l}_{\mathbf{0}}
$$

Where $\boldsymbol{l}_{\boldsymbol{0}}$ is the maximum length of the longest common subsequence matching characters between $\operatorname{GESA}\left(i_{1}, i_{2}\right)$ and $\operatorname{GESA}\left(j_{1}, j_{2}\right)$ until the first mismatch (or one of the sequences terminates).

## Disguised Actions with $K$ Mismatches

$>$ Next, find the length of the longest common subsequence matching characters after previous mismatch position $\boldsymbol{l}_{\mathbf{0}}$ using Kangaroo method until the second mismatch (or one of the sequences terminates) as follows:

$$
\boldsymbol{\operatorname { m a x }}\left(\boldsymbol{\operatorname { C P P }}\left(G E S A\left(i_{1}, i_{2}+l_{0}+1\right), G E S A\left(j_{1}, j_{2}+l_{0}+1\right)\right)\right)=\boldsymbol{l}_{\mathbf{1}}
$$

## Disguised Actions with $K$ Mismatches

$>$ Once our algorithm encounters ' $\#$ ' in the sequence $\widehat{S}_{\boldsymbol{i}}$, it will get into the verification process:

- Query whether the corresponding action $\boldsymbol{a}_{\boldsymbol{i}}$ (in $\boldsymbol{T}_{\boldsymbol{a}}$ ) belongs to the set of actions in ' $\#$ ', to do that:
- The algorithm uses a bit masking operation (And bit wise operation) between the two sets (' $\#$ ' and $\boldsymbol{a}_{\boldsymbol{i}}$ ) such that ( $\boldsymbol{a}_{\boldsymbol{i}}$ is represented by a bit ' 1 ', and each action in ' $\#$ ' is represented by ' 1 ' and ' 0 ' otherwise using hashMatchTable ).


## Disguised Actions with $K$ Mismatches

## hashMatchTable

- The columns are indexed by the (ascii code) of each character ( $\boldsymbol{a}_{\boldsymbol{i}} \in \Sigma$ ) (for directly access)
- The rows are indexed by the number of the spambots sequence $\widehat{\boldsymbol{S}}_{\boldsymbol{i}}$ and the number of ' ${ }_{l}$ '
- The algorithm applies the following formula:

$$
1 \wedge \text { hashMatchTable }\left[\widehat{\boldsymbol{S}}_{r} \#_{l}\right]\left[\operatorname{ascii}\left[\boldsymbol{a}_{\boldsymbol{i}}\right]\right]
$$

## Disguised Actions with $K$ Mismatches

## hashMatchTable

$$
\widetilde{\boldsymbol{s}_{\mathbf{1}}}=A B[G X] C[A D] F \rightarrow \widehat{\boldsymbol{s}}_{\mathbf{1}}=A B \#_{1} C \#_{2} F
$$

| Ascii $\left(a_{i}\right)$ | 65 <br> A | $\mathbf{6 6}$ <br> B | $\mathbf{6 7}$ <br> C | $\mathbf{6 8}$ <br> D | $\ldots$ <br> $\ldots$ | $\mathbf{7 1}$ <br> $\mathbf{G}$ | $\ldots$ <br> $\ldots$ | 88 <br> $\mathbf{X}$ | 89 <br> $\mathbf{Y}$ | $\mathbf{9 0}$ <br> $\mathbf{Z}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\widehat{\boldsymbol{S}}_{\mathbf{1}} \#_{\mathbf{1}}$ | 0 | 0 | 0 | 0 | $\ldots$ | 1 | $\ldots$ | 1 | 0 | 0 |
| $\widehat{\boldsymbol{S}}_{\mathbf{1}} \#_{\mathbf{2}}$ | 1 | 0 | 0 | 1 | $\ldots$ | 0 | $\ldots$ | 0 | 0 | 0 |
| $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ |
| $\widehat{\boldsymbol{S}}_{\boldsymbol{r}} \#_{\boldsymbol{l}}$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ |

## Disguised Actions with $K$ Mismatches

- Step 5: Finally, at each occurrence of $\widehat{\boldsymbol{S}}_{\boldsymbol{i}}$ in the sequence $\boldsymbol{T}_{\boldsymbol{a}}$, our algorithm checks its time window $W_{i}$ using the dictionary $\overline{\boldsymbol{S}}_{\widehat{S}_{i}}$ in $\boldsymbol{T}$, such that it sums up each time $t_{i}$ associated with its action $a_{i}$ starting at the position $j_{2}$ in $\operatorname{GESA}\left(j_{1}, j_{2}\right)$ until the length of the spambot $\left|\widehat{\boldsymbol{S}}_{\boldsymbol{i}}\right|$, and then compare it to its time window $W_{i}$. If the resultant time is less than or equal to $W_{i}$, the algorithm considers that the sequence $\widehat{\boldsymbol{S}}_{\boldsymbol{i}}$ is spambots and terminates.
$>$ The algorithm will continue to find other occurrences of the spambot sequence $\widehat{\boldsymbol{S}}_{\boldsymbol{i}}$ using the adjacent suffixes to the suffix index of $\widehat{\boldsymbol{S}}_{\boldsymbol{i}}$ in GESA.


## Illustration by Example

## Example

- Suppose : $T_{a}=A B B A B G C D F C B A C A F A A B G D F F, \widehat{S}_{1}=B \#_{1} C \#_{2} F$
- $\#_{1}=[\mathrm{GX}], \#_{2}=[\mathrm{AD}], K=2, f=2$
- Concatenation strings of $T a!_{0} \widehat{S}_{1}$ !

| 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 0 | 11 | 2 | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 | 21 | 22 | 3 | 24 | 25 | 26 | 27 | 28 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | B | B | A | B | G | c | D | $F$ | C | B | A | C | $\lambda$ | F | A | A | B | G | D | F | F | 10 | B | $\dagger 1$ | C | $\dagger 2$ | F | $\square_{1}$ |

## Illustration by Example

| $i$ | $G E S A[i]$ | Suffix | $G E S A^{R}[i]$ |
| :---: | :---: | :---: | :---: |
| 0 | $(1,28)$ | $!_{1}$ | 5 |
| 1 | $(0,22)$ | $!_{0} b \#_{1} c \not \#_{2} f!_{0}$ | 13 |
| 2 | $(1,24)$ | $\#_{1} c \#_{2} f!_{1}$ | 11 |
| 3 | $(1,26)$ | $\#_{2} f!_{1}$ | 6 |
| 4 | $(0,15)$ | aabgdf $f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 14 |
| 5 | (0,0) | $a b b a b g c d f c b a c a f a a b g d f f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 27 |
| 6 | $(0,3)$ | $a b g c d f c b a c a f a a b g d f f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 19 |
| 7 | $(0,16)$ | $a b g d f f!_{0} b \not \#_{1} c \neq \#_{2} f!_{1}$ | 20 |
| 8 | $(0,11)$ | $a c a f a a b g d f f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 25 |
| 9 | $(0,13)$ | $a f a a b g d f f!_{0} b \#_{1} c \neq \#_{2} f!_{1}$ | 18 |
| 10 | $(1,23)$ | $b \#_{1} c \#_{2} f!_{1}$ | 12 |
| 11 | $(0,2)$ | babgcdf cbaca faabgdf $f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 8 |
| 12 | $(0,10)$ | $b \underline{c a c a l a b g d f ~} f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 17 |
| 13 | $(0,1)$ | $b \bar{b} a b g c d f$ cbaca faabgdf $f!_{0} b \#_{1} c \not \#_{2} f!_{1}$ | 9 |
| 14 | $(0,4)$ | $b g c d f c b a c a f a a b g d f f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 24 |
| 15 | $(0,17)$ | $b g \mathrm{~d} f f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 4 |
| 16 | $(1,25)$ | $c \#_{2} f!_{1}$ | 7 |
| 17 | $(0,12)$ | $c a f$ aabgdf $f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 15 |
| 18 | $(0,9)$ | cbacafaabgdf $f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 28 |
| 19 | $(0,6)$ | cdfcbaca faabgdf $f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 21 |
| 20 | $(0,7)$ | $d f c b a c a f a a b g d f f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 26 |
| 21 | $(0,19)$ | $d f f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 23 |
| 22 | $(1,27)$ | $f!_{1}$ | 1 |
| 23 | $(0,21)$ | $f!_{0} b \#_{1} c \neq \#_{2} f!_{1}$ | 10 |
| 24 | $(0,14)$ | faabgdf $f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 2 |
| 25 | $(0,8)$ | $f c b a c a f a a b g d f f!_{0} \#_{1} c \neq \#_{2} f!_{1}$ | 16 |
| 26 | $(0,20)$ | $f f!_{0} b \#_{1} c \not \#_{2} f!_{1}$ | 3 |
| 27 | $(0,5)$ | $g c d f$ cbaca faabgdf $f!_{0} b \#_{1} c \#_{2} f!_{1}$ | 22 |
| 28 | $(0,18)$ | $g d f f!_{0} b \#_{1} c \not \#_{2} f!_{1}$ | 0 |

There are three occurrences for $\widehat{S}_{1}$ in $T$ at $i=$ 12,14 and 15

## Disguised Actions with $K$ Mismatches

## Experimental Evaluation

$>$ Our experiments showed that our algorithm is efficient and applicable to large action sequences.
$>$ See our paper for details.

## Conclusion

$>$ We introduced our algorithm $(f, c, k, W)$-Disguised Spambots Detection with indeterminate actions and mismatches.
$>$ Our algorithm takes into account temporal information, because it considers time-annotated sequences, and because it requires a match to occur within a time window.
> The problem seeks to find all occurrences of each conservative degenerate sequence corresponding to a spambot that occurs at least $f$ times within a time window and with up to $k$ mismatches.

## Conclusion

$>$ For this problem, we designed a linear time and space inexact matching algorithm, which employs the generalized enhanced suffix array data structure, bit masking and Kangaroo method to solve the problem efficiently.

Thank You
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